

CS1203

Assignment 2

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“I warrant that this is my own work”

1)            7            5            0            3  
      (111)        (101)        (000)        (011)

1111            0100            0011  
F                  4                  3

2)            9            C            3            B  
      (1001)        (1100)        (0011)        (1011)

(001)    (001)    (110)    (000)    (111)    (011)  
1            1            6            0            7            3

3)        a)    (001)    (011)    (010)    (111)  
          1            3            2            7

b)    (0010)    (1101)    (0111)  
      2            D            7

4)        a)    1101101 ->  $1 + 4 + 8 + 32 + 64 = 109$   
      b)    A57B ->  $11 + 7 \cdot 16 + 5 \cdot 16^2 + 10 \cdot 16^3 = 42363$   
      c)    3725 ->  $5 + 2 \cdot 8 + 7 \cdot 8^2 + 3 \cdot 8^3 = 2005$

5.       $75 -> = 64 + 11$

$64 + 8 + 3$

$64 + 8 + 2 + 1 -> 1001011$

6.  $1297 \rightarrow 1297 \text{ MOD } 8 = 162 \text{ R}=1$

$162 \text{ MOD } 8 = 20 \text{ R }=2$

$20 \text{ MOD } 8 = 2 \text{ R}=4$

$2 \text{ MOD } 8 = 0 \text{ R }2$

The remainders are the converted octal places so it would be 2421

7.  $2029 \rightarrow 2029 \text{ MOD } 16 = 126 \text{ R }=13$

$126 \text{ MOD } 16 = 7 \text{ R }=14$

$7 \text{ MOD } 16 = 0 \text{ R}=7$

The remainders are in decimal so then convert to hex

7        14        13

7        E        D

8.  $624 \rightarrow 6 \quad 2 \quad 4$

$$6*7^2 + 2*7 + 4*1 = 312$$

9.  $921 \rightarrow 921 \text{ MOD } 14 = 65 \text{ R}=11$

$65 \text{ MOD } 14 = 4 \text{ R}=9$

$4 \text{ MOD } 14 = 0 \text{ R}=4$

49B

10. a)  $27AC + 385$

$$\begin{array}{r} \underline{1\ 1} \\ 27AC \\ + \underline{385} \\ \hline 2B42 \end{array}$$

b)  $2035 - 14C$

$$\begin{array}{r} F \quad 11 \\ 1 \ 10 \ 2 \ 14 \\ 2 \ 0 \ 3 \ 5 \\ - \underline{1 \ 4 \ C} \\ \hline 1 \ E \ D \ 8 \end{array}$$

11. a)  $574 + 116$

$$\begin{array}{r} 1 \ 1 \\ 5 \ 7 \ 4 \\ + \underline{1 \ 1 \ 6} \\ \hline 7 \ 1 \ 3 \end{array}$$

b)  $513 - 257$

$$\begin{array}{r} 10 \\ 4 \ 0 \ 13 \\ - \underline{2 \ 5 \ 7} \\ \hline 2 \ 3 \ 3 \end{array}$$

$$\begin{array}{r}
 & 1 & 1 & 1 \\
 12. \quad a) \quad 101101 + 11110 & 1 & 0 & 1 & 1 & 0 & 1 \\
 & + & \underline{1} & 1 & 1 & 1 & 0 \\
 & 1 & 0 & 0 & 1 & 0 & 1 & 1
 \end{array}$$

$$\begin{array}{r}
 & 1 & & 10 \\
 & \cancel{1} & 0 & 10 & 0 & 0 & 10 \\
 b) \quad 1001101 - 10111 & \cancel{1} & 0 & \cancel{0} & \cancel{1} & \cancel{1} & 0 & 1 \\
 & - & \underline{1} & 0 & 1 & 1 & 1 \\
 & 1 & 1 & 0 & 1 & 1 & 0
 \end{array}$$

When you carry back a “10” You basically have 2 1’s in that slot, so when you take away one you end up with a one there in the end.